

# Some Approaches to the Analysis and Visualization of the Internet Movie Database

Vladimir Batagelj and Andrej Mrvar  
University of Ljubljana, Slovenia

Adel Ahmed, Xiaoyan Fu, Seok-Hee Hong and Damian Merrick  
National ICT Australia, Sydney, Australia

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The source of the original data is the [Internet Movie Database](#).

We transformed the contest data into a **Pajek** temporal network with some additional vectors and partitions describing the properties of vertices.

```
imdb.net      - imdb network in Pajek format
imdbL.net     - imdb network with long names
imdb.clu      - type partition of vertices
imdb.nam      - long names
imdb.vec      - year
large.net     - largest weak component with long names
large.vec     - years for large
largeT.clu    - type partition for large
largeB.clu    - bipartition for large
```

The file `imdb.clu` contains the following classes:

0 Actor	11 Crime
1 Drama	12 Sci-Fi
2 Short	13 Horror
3 Documentary	14 War
4 Comedy	15 Fantasy
5 Western	16 Romance
6 Family	17 Adventure
7 Mystery	18 Animation
8 Thriller	19 Action
9 Adult	20 Musical
10 Music	21 Film-Noir
99 Unknown	

The **Pajek** data files are available at [Pajek's data sets](#) page.

## Basic characteristics of IMDB

The IMDB network is bipartite (2-mode) and has  $1324748 = 428440 + 896308$  vertices and 3792390 arcs.

9927 of the arcs in the network are multiple (parallel) arcs. Here is their distribution.

multiplicity	frequency
1	3775126
2	61788
3	5888
4	267
5	128
6	66
7	45
8	1188
9	233
10	65
11	5
12	3
13	2
14	2
15	1
16	1
17	2
18	1
19	1
20	1
21	1
22	1
23	1
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32	1
33	1
34	1
35	1
36	1
37	1
38	1
39	1
40	1
41	1
42	1
43	1

The nature of the appearance of multiple arcs can be seen from the Figure 1 where all arcs with multiplicity at least 8 are displayed.

**In the analyses that follow, we decided to treat multiple arcs as single.**

The IMDB network consists of 132714 weak components. Here is the distribution of their sizes.

Size	Freq	Size	Freq
1	124829	21	9
2	3557	22	3
3	1526	23	6
4	922	24	4
5	615	25	5
6	424	26	2
7	219	27	1
8	139	28	1
9	107	29	1
10	80	30	1
11	67	31	4
12	43	32	1
13	28	33	1
14	31	34	1
15	15	35	1
16	19	36	2
17	10	37	1
18	16	38	1
19	12	39	1
20	6	40	1
21	9	41	1
		42	1
		43	1
		44	1
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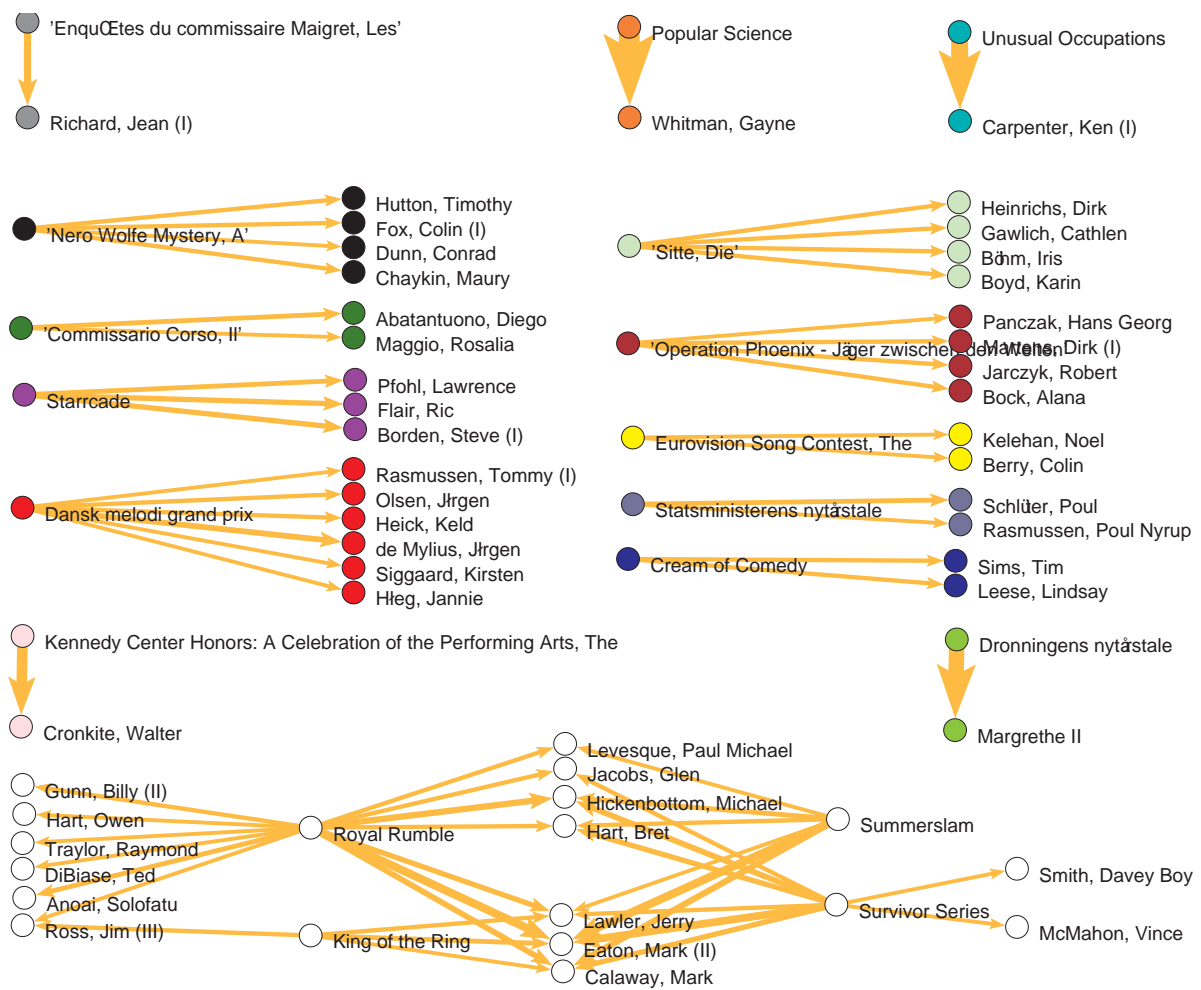


Figure 1: Arcs with multiplicity at least 8

## Identifying interesting parts of bipartite networks

There are few direct specialized methods for analyzing bipartite (2-mode) networks, especially large ones. Also, because of the size of the IMDB network, the standard reduction of the entire network to one or the other derived 1-mode network was not an option. The only special method available in **Pajek** was the adapted version of *hubs and authorities*, which did not produce very interesting results. We started to think about some new methods. Last August we developed and implemented in **Pajek** two new methods for analysis of bipartite networks:

- bipartite version of cores –  $(p, q)$ -cores
- 4-rings weights on lines

For details see [Dagstuhl seminar 05361 / Batagelj](#).

### $(p, q)$ -cores

The subset of vertices  $C \subseteq V$  is a  $(p, q)$ -core in a bipartite (2-mode) network  $N = (V_1, V_2; L)$ ,  $V = V_1 \cup V_2$  iff

- a. in the induced subnetwork  $K = (C_1, C_2; L(C))$ ,  $C_1 = C \cap V_1$ ,  $C_2 = C \cap V_2$  it holds  $\forall v \in C_1 : \deg_K(v) \geq p$  and  $\forall v \in C_2 : \deg_K(v) \geq q$ ;
- b.  $C$  is the maximal subset of  $V$  satisfying condition a.

The basic properties of bipartite cores are:

- $C(0, 0) = V$
- $K(p, q)$  is not always connected
- $(p_1 \leq p_2) \wedge (q_1 \leq q_2) \Rightarrow C(p_1, q_1) \subseteq C(p_2, q_2)$

There exists a very efficient  $O(m)$  algorithm to determine  $(p, q)$ -cores.

Since there are many  $(p, q)$ -cores, we must answer the question of how to select the interesting ones among them. To help the user in these decisions, we implemented in **Pajek** a *Table of cores' characteristics*  $n_1 = |C_1(p, q)|$ ,  $n_2 = |C_2(p, q)|$  and  $k$  – number of components in  $K(p, q)$ . We look for  $(p, q)$ -cores where

- $n_1 + n_2 \leq$  selected threshold
- big jumps from  $C(p - 1, q)$  and  $C(p, q - 1)$  to  $C(p, q)$ .

We selected (247,2)-core, (27,22)-core and (2,516)-core. From the labels we can see that the corresponding topics are wrestling and pornography.

Table 1:  $(p, q : n_1, n_2)$  for IMDB

1	1590:	1590	1	22	24:	1854	1153	43	14:	29	83
2	516:	788	3	23	23:	47	56	44	14:	29	83
3	212:	1705	18	24	23:	34	39	45	13:	30	95
4	151:	4330	154	25	22:	42	53	46	13:	29	94
5	131:	4282	209	26	22:	31	38	47	12:	29	101
6	115:	3635	223	27	22:	31	38	48	12:	28	100
7	101:	3224	244	28	20:	36	53	49	12:	26	95
8	88:	2860	263	29	20:	35	52	50	11:	27	111
9	77:	3467	393	30	19:	35	59	51	11:	26	110
10	69:	3150	428	31	19:	35	59	52	11:	16	79
11	63:	2442	382	32	19:	34	57	53	10:	35	162
12	56:	2479	454	33	18:	34	62	54	10:	35	162
13	50:	3330	716	34	18:	34	62	55	10:	34	162
14	46:	2460	596	35	18:	33	61	56	10:	34	162
15	42:	2663	739	36	17:	33	65	57	9:	35	187
16	39:	2173	678	37	16:	33	75	58	9:	33	180
17	35:	2791	995	38	16:	30	73	59	9:	33	180
18	32:	2684	1080	39	16:	29	70	60	9:	32	178
19	30:	2395	1063	40	15:	29	77	61	9:	31	177
20	28:	2216	1087	41	15:	28	76	62	9:	31	177
21	26:	1988	1087	42	15:	28	76	63	8:	31	202

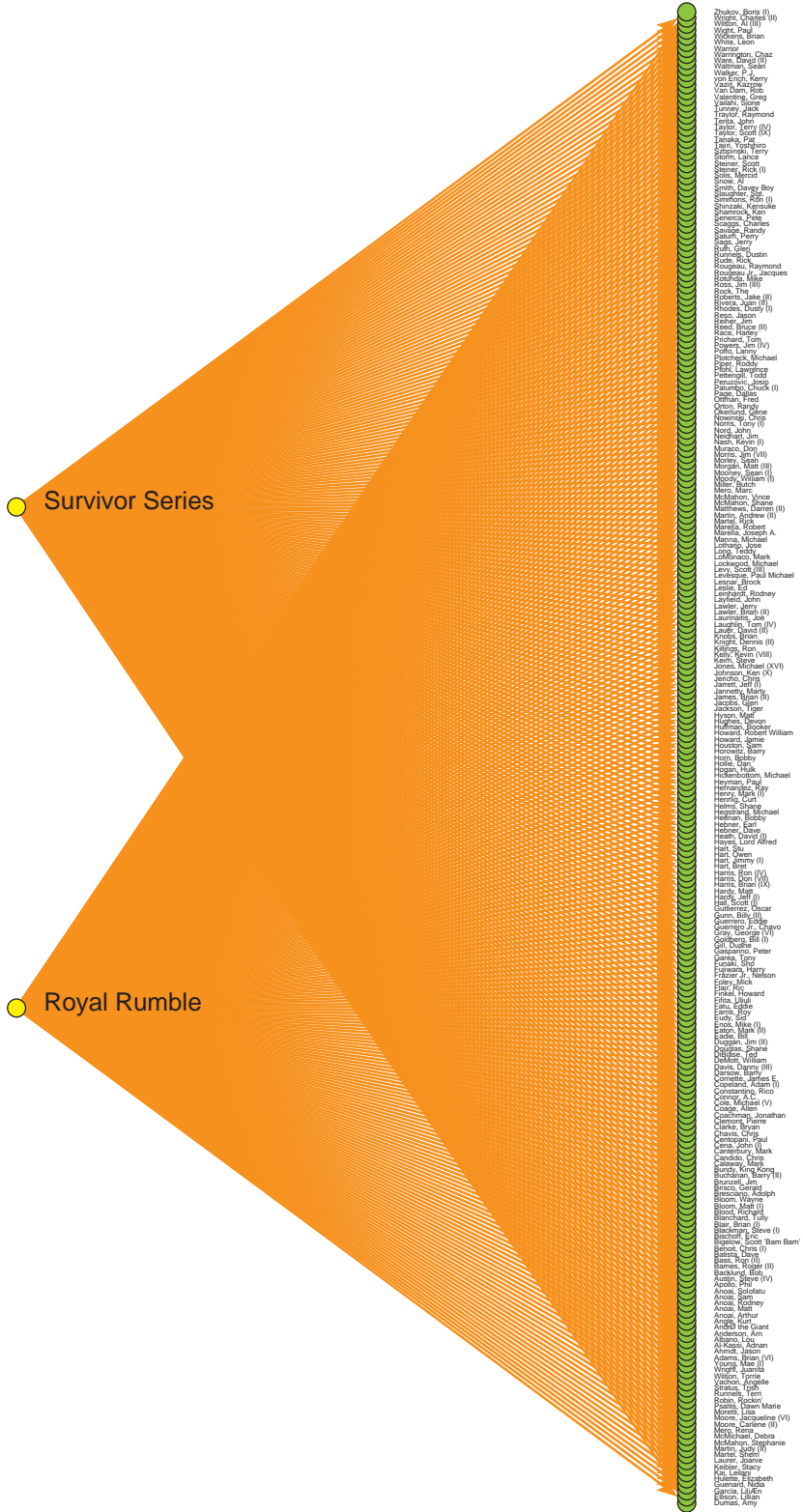


Figure 2: (247,2)-core

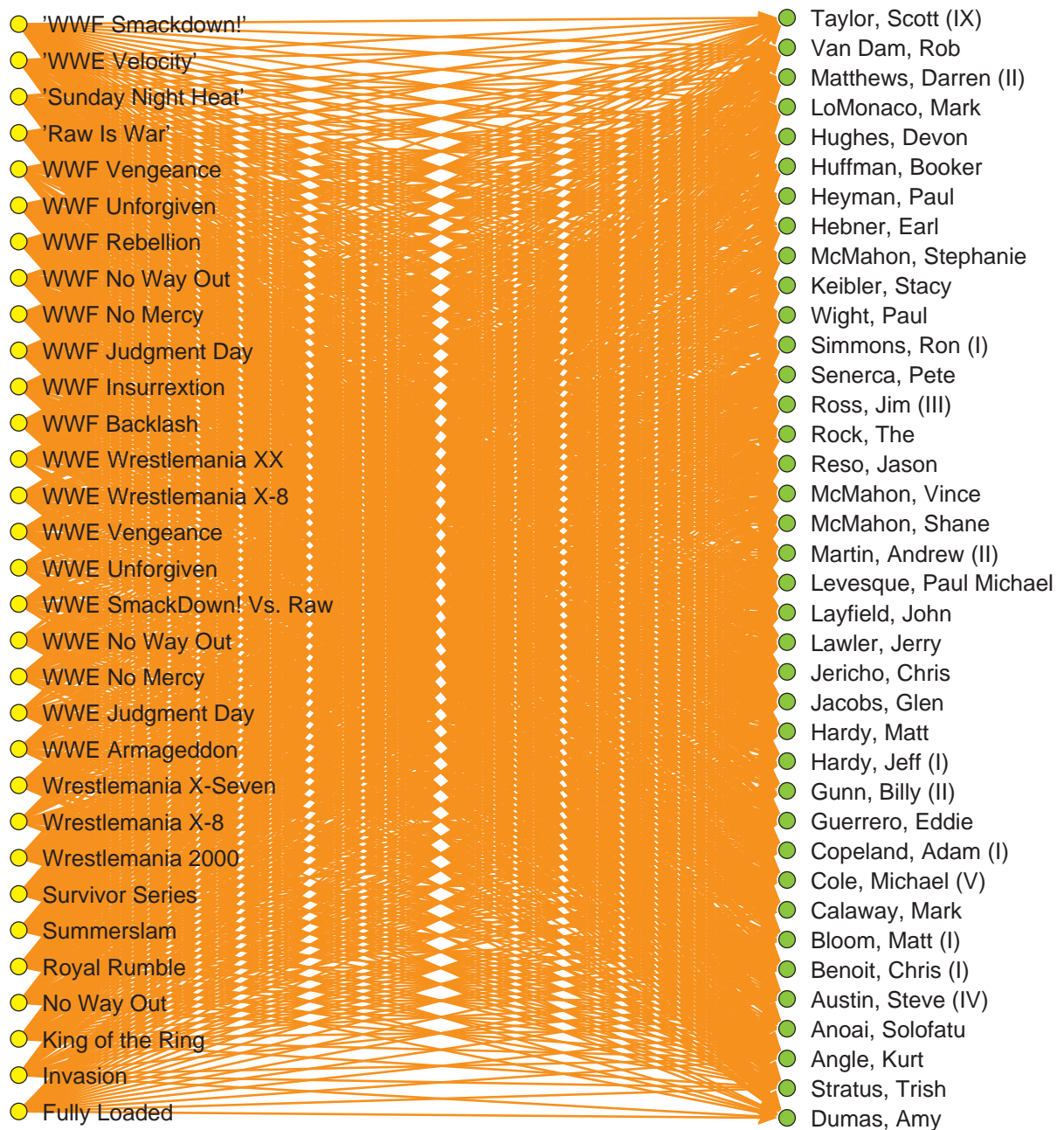


Figure 3: (27,22)-core



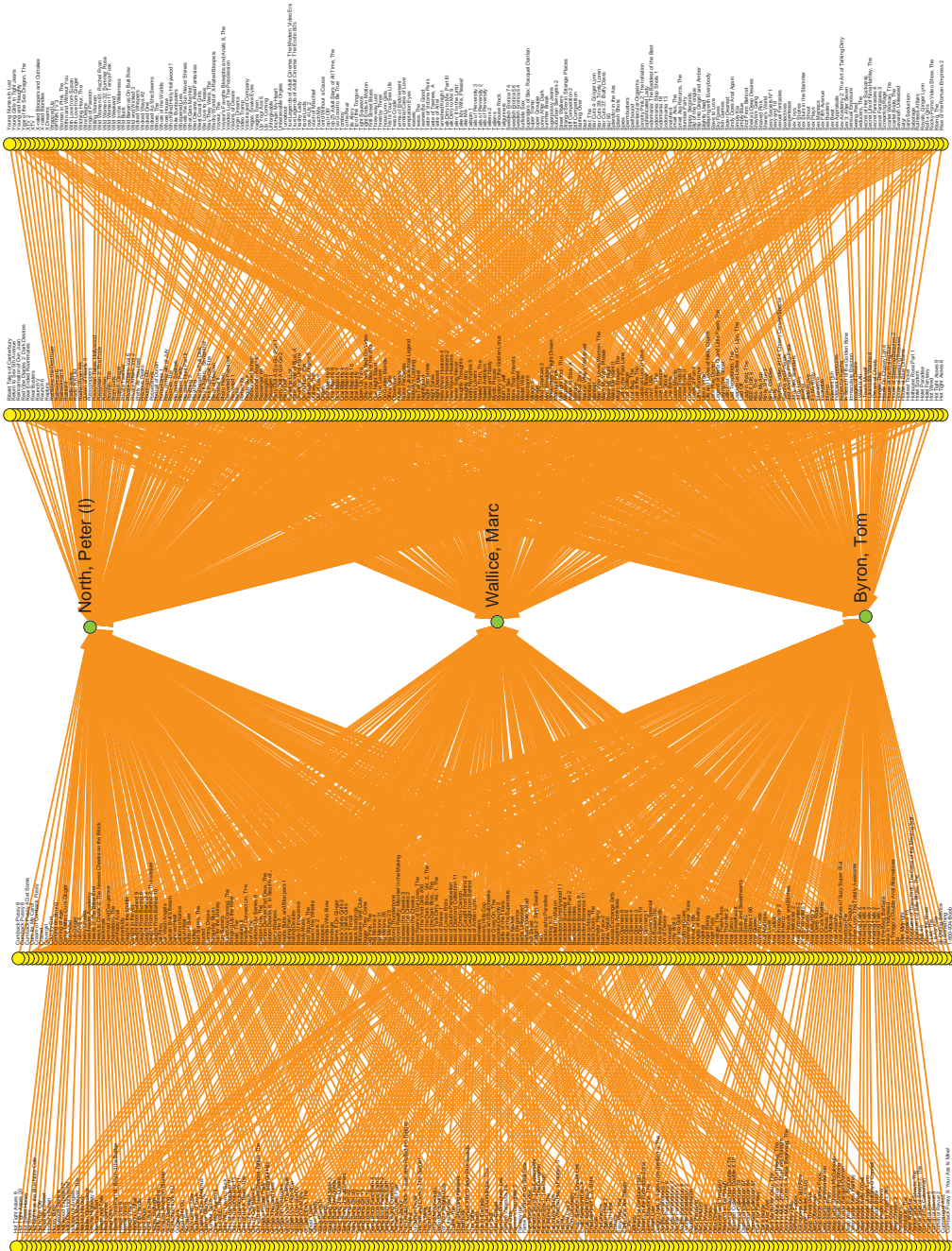
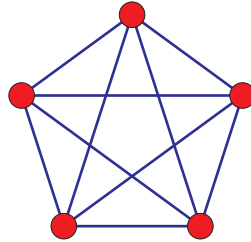


Figure 4:  $(2,516)$ -Hard core



## 4-rings

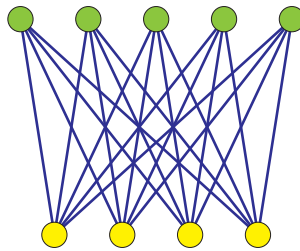
A *k-ring* is a simple closed chain of length  $k$ . Using  $k$ -rings we can define a weight of edges as  $w_k(e) = \#$  of different  $k$ -rings containing the edge  $e \in E$



Since for a complete graph  $K_r$ ,  $r \geq k \geq 3$  we have  $w_k(K_r) = (r-2)!/(r-k)!$  the edges belonging to cliques have large weights. Therefore these weights can be used to identify the dense parts of a network.

For example: all  $r$ -cliques of a network belong to  $r-2$ -edge cut for the weight  $w_3$ .

The 3-rings weights were implemented in **Pajek** in May 2002. However, there are no 3-rings in the IMDB network. The densest substructures are complete bipartite subgraphs  $K_{p,q}$ . They contain many 4-rings.



$$w_4(K_{p,q}) = (p-1)(q-1)$$

So we decided to implement 4-rings weights in **Pajek**.

To identify interesting substructures we applied the simple islands procedure for the weight  $w_4$ . It takes around 3 minutes to compute  $w_4$  weights on a 1400 MHz, 1GB RAM computer, and 13 seconds to determine the islands.

We obtained 12465 simple line islands on 56086 vertices. Here is their size distribution.

There are 94 of size at least 30; and only 10 over 100. Again the largest island corresponds to wrestling. Each island represents a special topic. We visualized only some of them.

Island	Size	Representative
1	673	Andre the Giant: Larger Than Life
2	332	13. jul
3	332	Aa bakudan
4	301	Aa Chithrasalabham Parannotte
5	269	Adult 45
6	163	.hack//Akusei heni vol. 2
7	144	Aladdin
8	135	Gondoliers, The
9	122	Bag om Robinson ekspeditionen
10	106	1992 Winter Olympics Figure Skating

Table 2:  $(p, q : n_1, n_2)$  for IMDB

Size	Freq	Size	Freq	Size	Freq	Size	Freq
2	5512	20	19	38	4	59	2
3	1978	21	18	39	3	61	1
4	1639	22	15	40	2	64	1
5	968	23	9	42	2	67	1
6	666	24	13	43	3	70	1
7	394	25	12	45	3	73	1
8	257	26	6	46	4	76	1
9	209	27	6	47	5	82	1
10	148	28	5	48	1	86	1
11	118	29	6	49	2	106	1
12	87	30	3	50	2	122	1
13	55	31	6	51	1	135	1
14	62	32	5	52	2	144	1
15	46	33	3	53	1	163	1
16	39	34	1	54	2	269	1
17	27	35	5	55	1	301	1
18	28	36	4	57	1	332	2
19	29	37	7	58	1	673	1

11	86	Accouplements pour voyeurs
12	82	Affren i Mlleby
13	76	Emmanuelle Forever
14	73	Directing Rye
15	70	002 agenti segretissimi
16	67	Adventures of Red Ryder
17	64	Abuse me... 1: Feuchte Pppchen
18	61	Real World Reunion 2000, The
19	59	Abid el gassad
20	59	Jiyu gakkou
21	58	IDandT Presents the Darkraver
22	57	All Around Cure, An
23	55	AandE Biography: John Waters
24	54	Avonturen van een zigeunerjongen
25	54	All Aboard
26	53	Adventures of Mark Twain, The
27	52	Binge and Purge
28	52	Aladdin's Lantern
29	51	Survivor - Season One: The Greatest and Most Outrageous Moments
30	50	Polizeiruf 110 - Angst um Tessa Blow
31	50	Abouna
32	49	Kid senshi Gundam: Meguriai sora
33	49	Buster Be Good
34	48	Auf ins blaukarierte Himmelbett
35	47	Accident, L'
36	47	Adventures of Elmo in Grouchland, The
37	47	Eurovision Song Contest, The
38	47	Beaches
39	47	Bubblegum Crisis Tokyo 2040: Shadow War
40	46	Bingville Fire Department, The
41	46	Advoktka Vera
42	46	Angel of Destruction
43	46	Cry in the Dark, A
44	45	Lawrence Welk: Milestones and Memories - A Musical Family Reunion
45	45	Millennium Madness: Gangbangers of America
46	45	Zombie Planet
47	43	Polizeiruf 110 - Abschiedslied fr Linda
48	43	Ali Baba bujang lapok

49 43 Entfhrung aus der Lindenstrae  
50 42 Stained Memories  
51 42 Helden von Bern, Die  
52 40 Berlin Snuff  
53 40 Amerikaansche meisjes  
54 39 Atunci i-am condamnat pe toti la moarte  
55 39 Tatort - ... und die Musi spielt dazu  
56 39 Dalziel and Pascoe: A Clubbable Woman  
57 38 Beszl knts, A  
58 38 Ahasin Polawatha  
59 38 Undressed: The Casting Couch  
60 38 Aladim e a Lmpada Maravilhosa  
61 37 Doppelter Einsatz - Auf Leben und Tod  
62 37 Miss Belgi 1994  
63 37 'Bar'  
64 37 Una y media  
65 37 'Club de Los Tigritos, El'  
66 37 Easter Carol, An  
67 37 Carmen, a cigana  
68 36 Abuelo, la condesa y Escarlata la traviesa, El  
69 36 Be My Valentine, Charlie Brown  
70 36 Hei kliffaa hei!  
71 36 Carry On Abroad  
72 35 'Brug, De'  
73 35 Escape Through Time  
74 35 Et la lumire fut  
75 35 Paper-Thin Immortals  
76 35 Best of Big Brother, The  
77 34 A los cirujanos se les va la mano  
78 33 'Shortland Street'  
79 33 Jri Rumm  
80 33 Boys to Men  
81 32 Amor de Perdio  
82 32 Circo de las Montini, El  
83 32 Newlyweds Build, The  
84 32 Alice at the Carnival  
85 32 Bulle von Tlz - Bauernhochzeit, Der  
86 31 'Fugitivos Reality Mission'  
87 31 Dark Area, The  
88 31 Boh fett  
89 31 Secret Spot, The  
90 31 Heftig og begeistret  
91 31 AandE Biography: Stooges -  
The Men Behind the Mayhem  
92 30 Aliko dictator, I  
93 30 Cabaret!  
94 30 Andel's Story  
95 29 Abnormal Man

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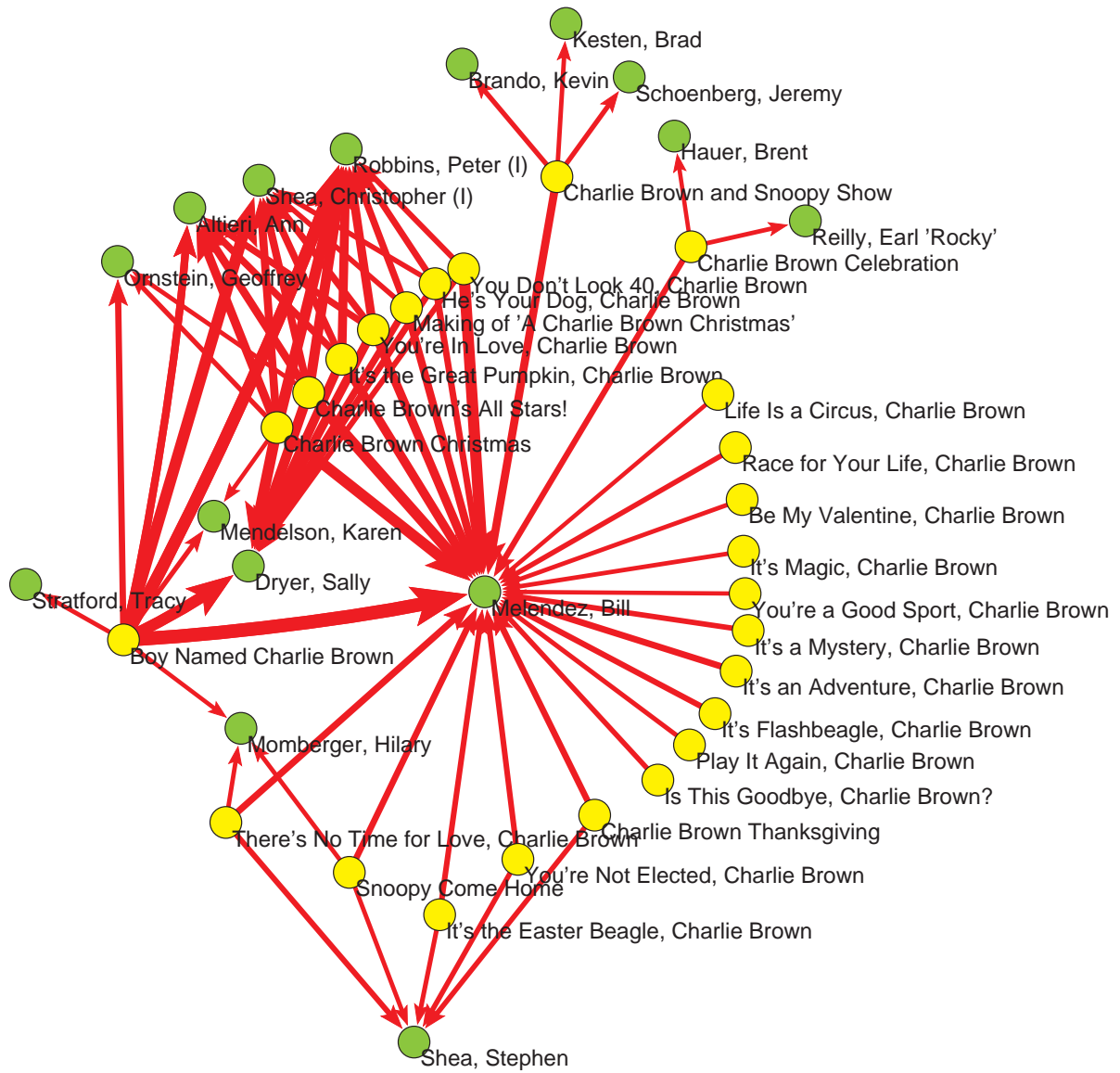


Figure 5: *Charlie Brown*

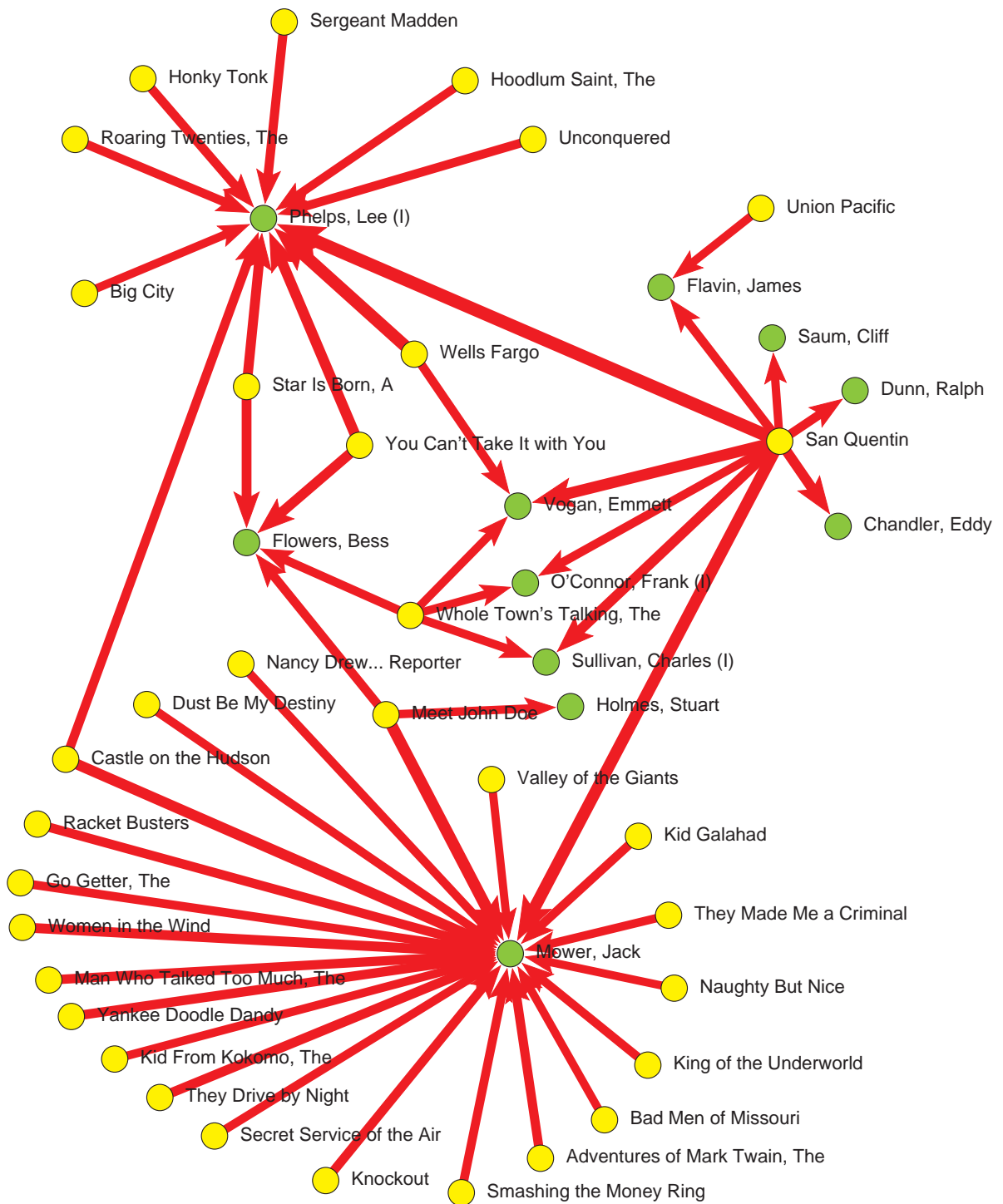


Figure 6: *Mower, Jack and Phelps, Lee*

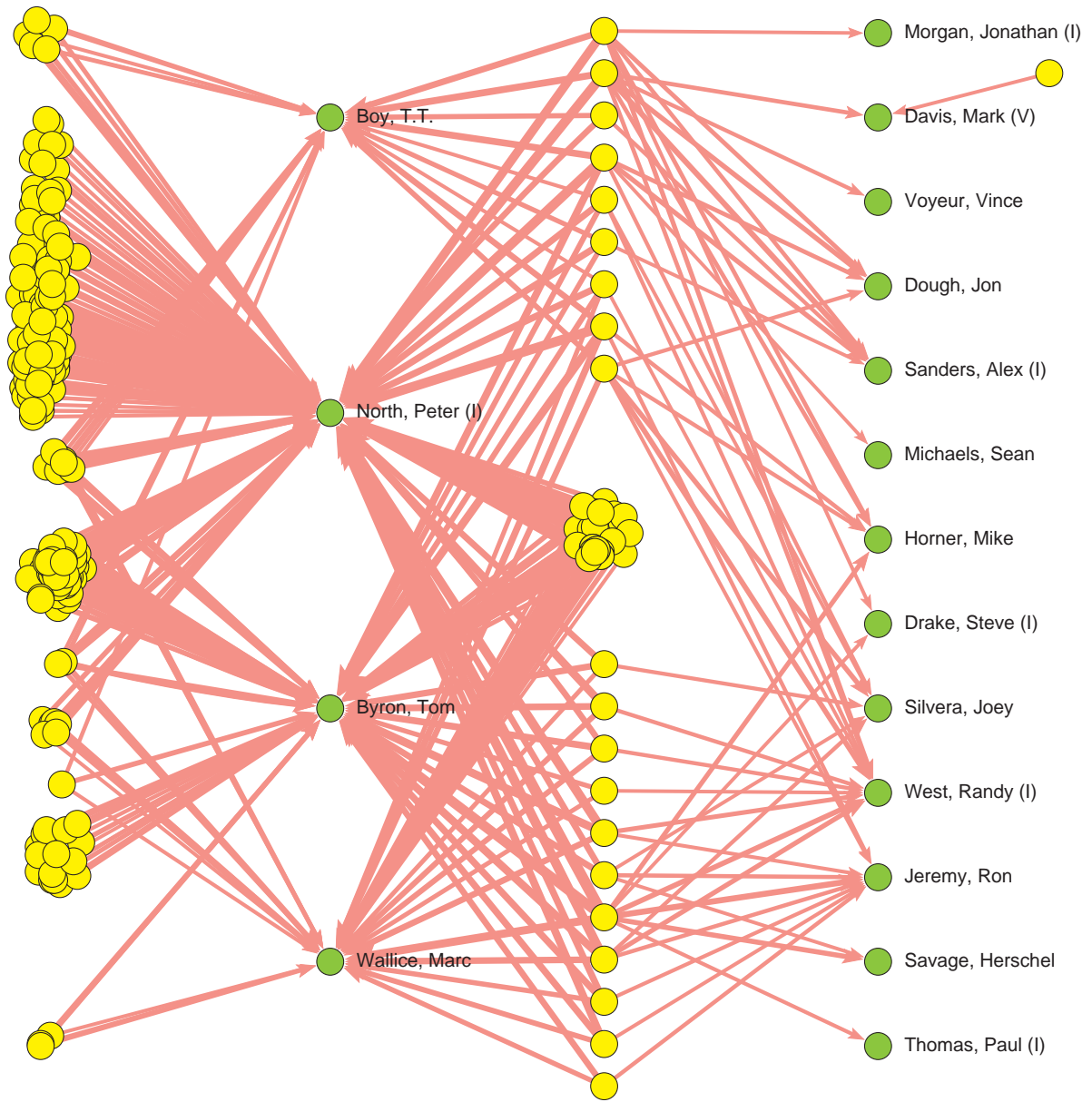


Figure 7: *Adult*



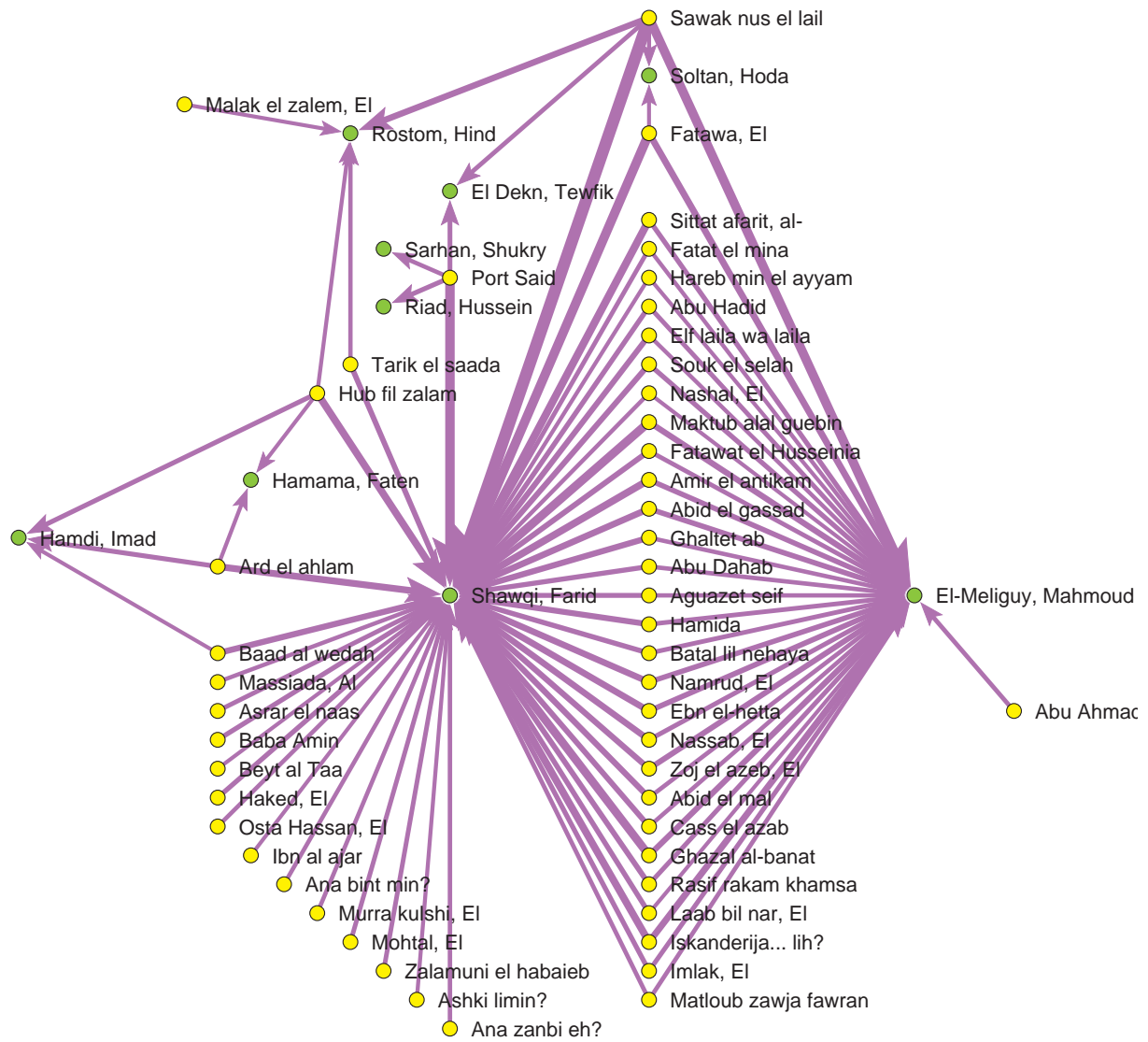


Figure 8: *Shawqi, Farid and El-Meliguy, Mahmoud*

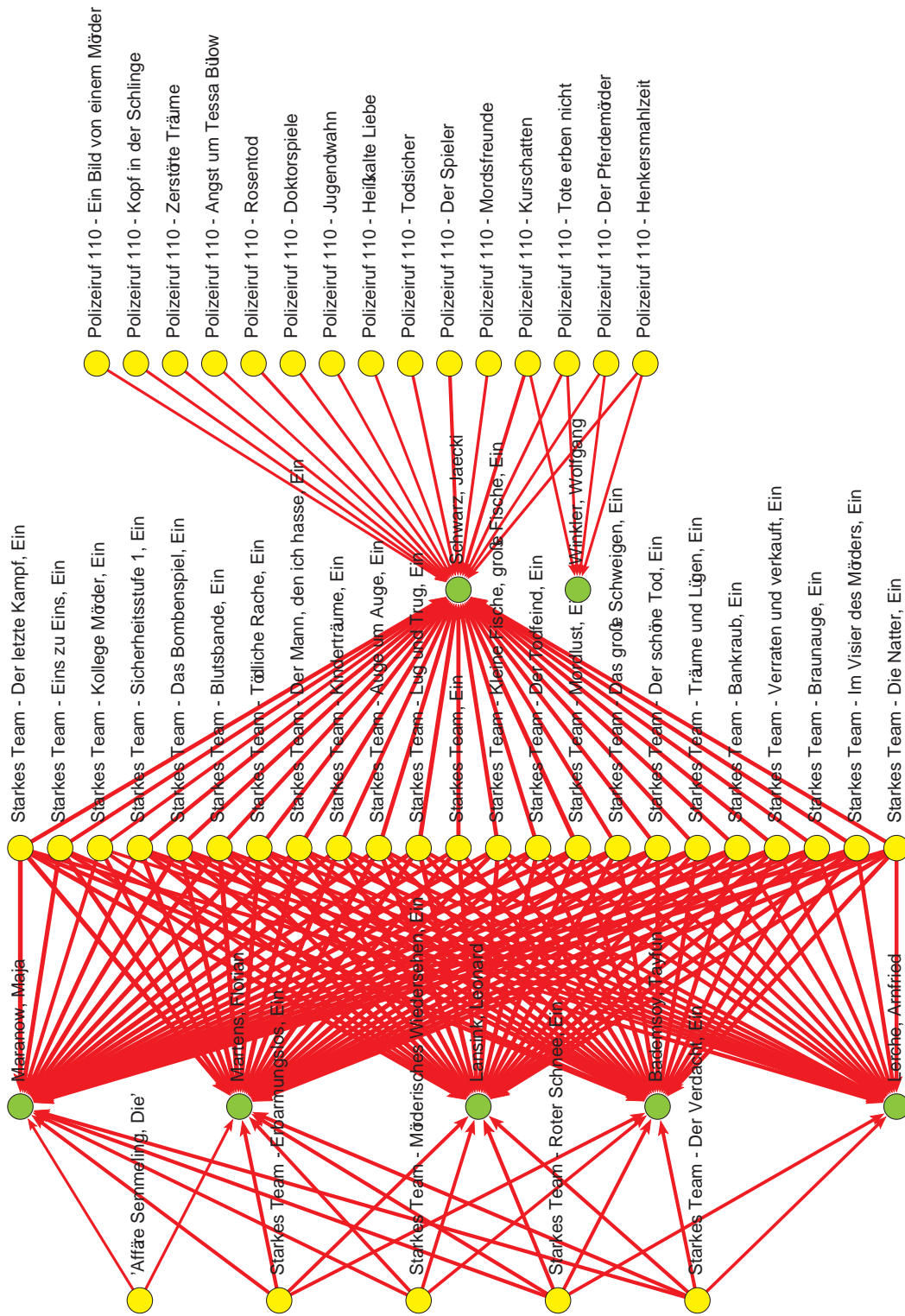


Figure 9: *Polizei 110 and Starkes Team*

## Time slices

By extracting a time slice from the complete network, we can identify the main groups in selected time periods. To illustrate this, we extracted the time slice 1935-1950.

There are 223 simple islands for  $w_4$  on 1774 vertices.

Island	Size	Representative
1	139	ABC Mark Curry & Delta Burke Back Lot Special
2	85	Bag klosterets mure
3	73	Kaikki peliss
4	73	A Yong
5	64	Bartom, Bdy Gbor
6	63	Doa Macabra
7	49	Ako-Jo danzetsu
8	38	Gubernator
9	35	Dancing on the Face of the Moon
10	35	Mdgmurebi
11	25	Dandy Dan - He's a Detective
12	25	Barrister Parvatishan
13	24	Abas Largas, Os
14	23	Allee der Kosmonauten
15	20	Anniversary Retreat
16	19	Grand-pre
17	19	Joyland
18	19	Pepito y los robachicos
19	19	Black Friday
20	19	Al Al Carnaval
21	18	Botate asobi
22	16	'Huff': Around the Edges
23	15	Here's Television
24	15	Erbe wird gesucht, Ein
25	14	Chuji tabi nikki: Shinshu kessho hen
26	14	Hakob Hovnatanyan
27	14	Samho talchul
28	13	Du hao
29	13	Einflle der heiligen Klara, Die
30	13	Going Places with Lowell Thomas, #1
31	12	Pitanje
32	12	Fuji ni tatsu kage
33	12	Dzhoy i Druzhok
34	11	Bar-L Ranch
35	11	Kalkofes Mattscheibe Sylvester Spezial
36	10	Geulim ilgi
37	10	Roof to Roof
38	10	Brick Wall
39	10	Dil Ki Duniya
40	10	Alte Snder, Der
41	10	Buddy Holly Story, The
42	10	Kun Hunttalan Matti Suomen osti
43	9	Sekret Enigmy

For example we selected island 6 – 'Dona Macabra'.

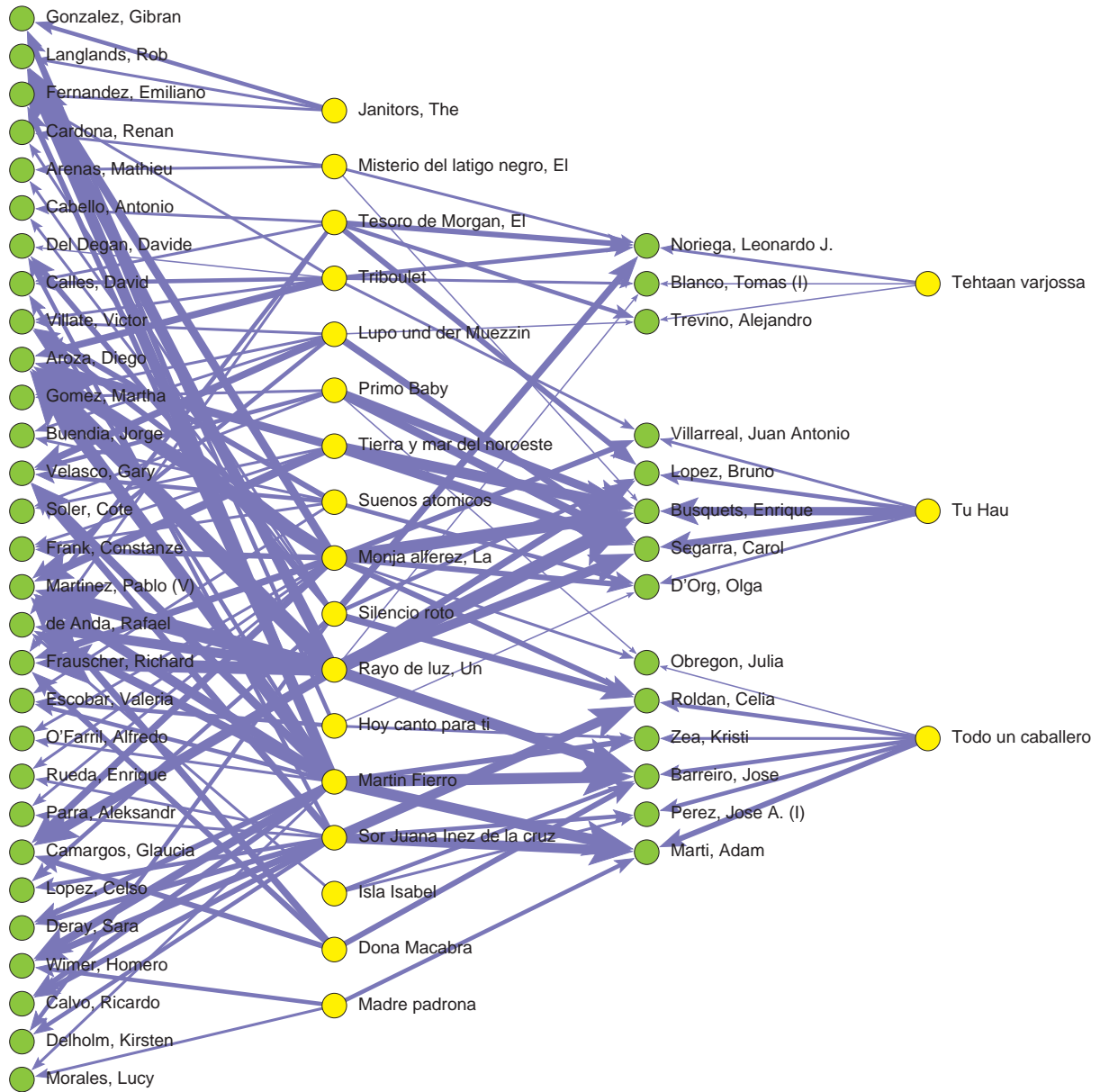


Figure 10: *Dona Macabra*

## Co-starring authors

We extracted a small subset of the actors in the IMDB network and constructed from it a dynamic visualisation of a 1-mode network showing the co-appearance of actors in films. This visualisation forms the first section of an animation, downloadable from the following location:

<http://www.it.usyd.edu.au/~dmerrick/gd05contest/gd05-final.avi>

To define a sufficiently small subgraph, we first considered only nodes in the network with a Kevin Bacon number of 1. The Kevin Bacon number of an actor is a similar concept to the Erdős number of a mathematician; it represents the length of the shortest path in the movie star collaboration network from the actor to Kevin Bacon.

The data set was divided into time slices of a decade in length (e.g. 1920s, 1930s, etc.), and the set of actors reduced in each decade to only those who had co-starred in at least 5 films with another actor with a Kevin Bacon number of 1.

The 1-mode co-starring networks of these reduced sets of actors were constructed for each decade, and a three-dimensional force-directed layout generated for each. Nodes in the force-directed layout were restricted to lie on one of three concentric spheres, depending on the degree of the node, as illustrated in Figure 11. The colouring of each node was also used to indicate the degree. The size of each node was dependant on the number of movies in which the corresponding actor starred in that particular decade. Similarly, the width of an edge was used to represent the number of co-appearances between two actors in a decade.

To effectively illustrate the evolution of the co-starring network, we display smooth animations between the layouts of subsequent decades. The animations are broken into several parts shown one after the other in time, in order to aid retention of the mental map. First, nodes and edges not present in the first layout are faded out. Nodes present in both first and second layouts are then animated to their new positions in the second layout. Nodes new to the second layout burst out from the centre and come to rest in their calculated positions, and finally new edges are faded in to show the new collaborations in the second decade.

This process was continued for all decade slices from 1911 through to 2004, and the result can be seen in the downloadable animation.

The visualisation shows both expected and unexpected patterns. For example, nodes corresponding to singers Britney Spears, Beyoncé Knowles and Jennifer Lopez are highly connected, presumably due to music videos and attendance in music industry award ceremonies. Names of US presidents can be seen amongst a highly-connected component in the later decades, showing the wide-ranging scope of the genres in the IMDB. At one stage this component of political entities is seen to be linked to the network of movie stars through actor-cum-governor Arnold Schwarzenegger.

A more unexpected finding was the substantial number of actors with a Kevin Bacon number of 1 in the early years of the twentieth century, some of whom could clearly not have co-starred in a film with Kevin Bacon. This revealed some noise in the original contest data set. The years of some movies had been recorded incorrectly, while edges to other movies that possessed the same name as a movie of a prior decade were all recorded as belonging to the earlier movie.

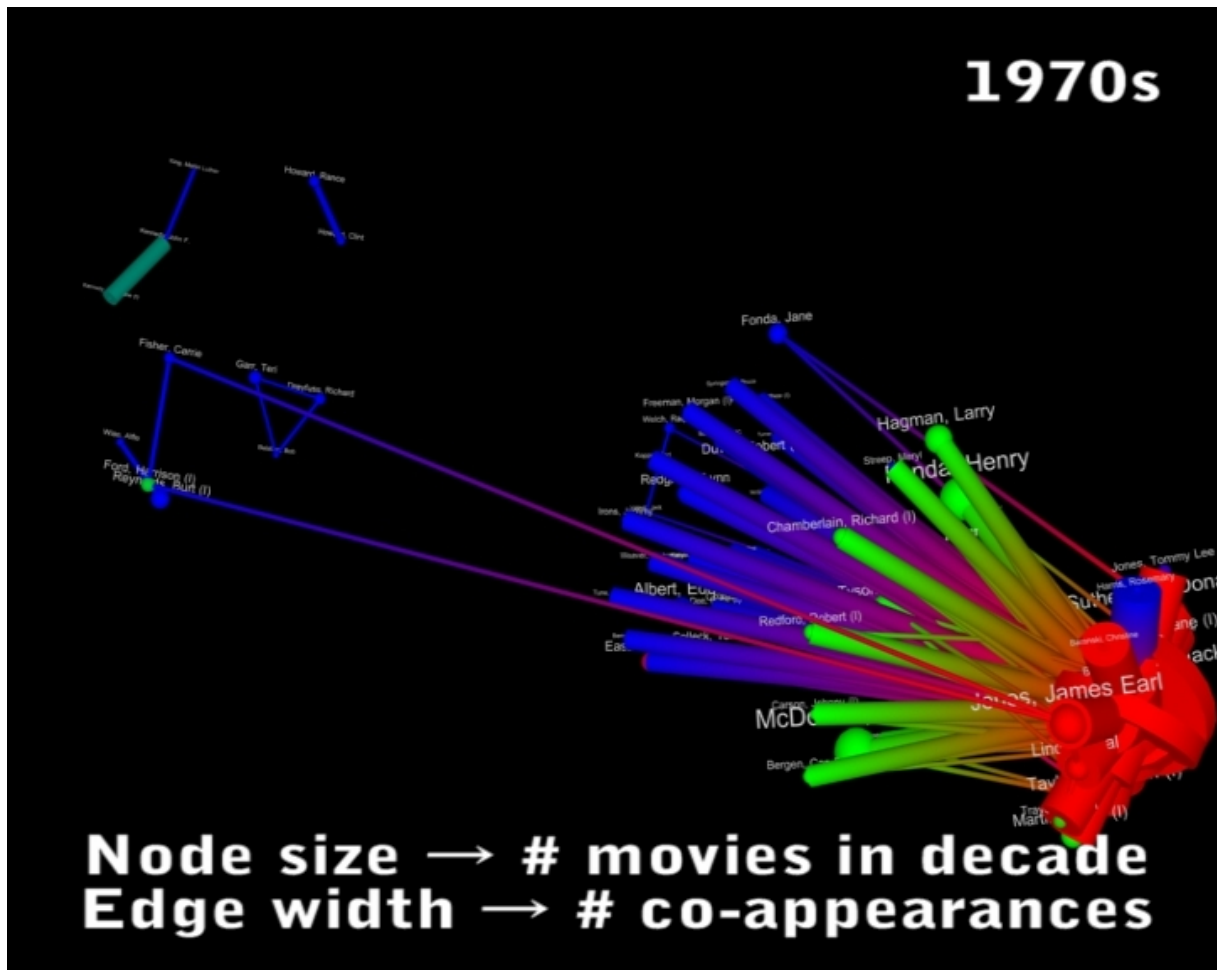


Figure 11: A frame from the co-starring actors animation



## A Galaxy of Movie Stars

Our final visualisation consists of a "galaxy of stars" metaphor for the movie-actor network, and forms the second part of the animation downloadable from:

<http://www.it.usyd.edu.au/dmerrick/gd05contest/gd05-final.avi>

A subset of the IMDB was selected for each year from 1907 to 2004. Actors and movies were chosen using the following criteria:

- every actor must have starred in more than 12 movies over the whole time period
- every movie must have more than 12 actors
- each actor must have played in between 3 to 6 movies in each year

A two-dimensional force-directed layout was generated for each year's subgraph. In the final visualisation, actor nodes in the network were depicted as stars in the night sky, and edges as faint lines joining up "constellations" of actors (See Figure 12). Edges are present between actor and movie nodes, but movie nodes are hidden; in this manner, collaboration between actors can be seen. Animation is performed between each layout, in a similar manner to the animation of the co-starring authors network (detailed in the previous section).

No labels are shown in this visualisation, but the changing frequencies of highly-connected components can be seen as the visualisation changes over time.

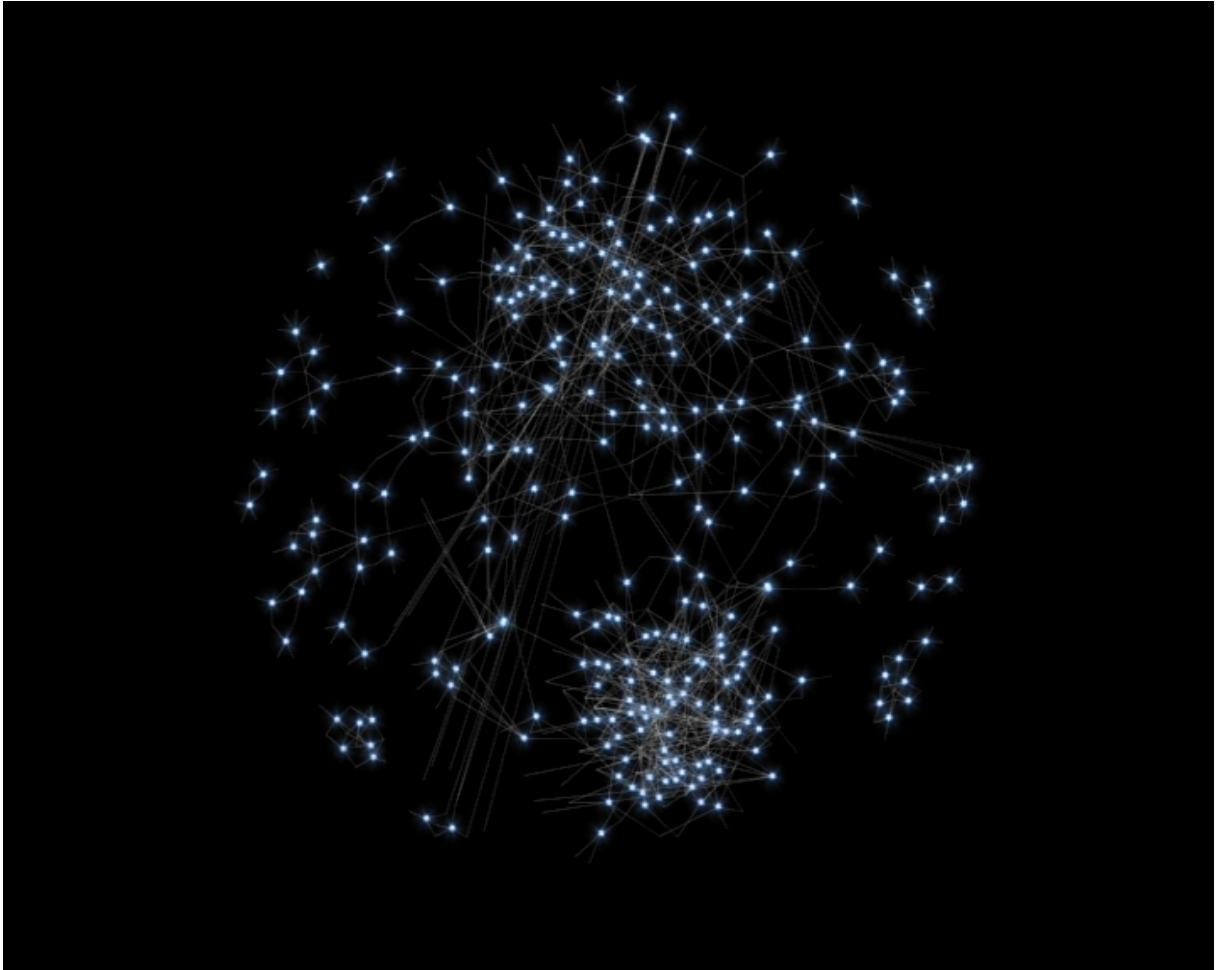


Figure 12: *A frame from the galaxy of stars animation*

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- [5] Zaveršnik, M. and Batagelj, V. (2004): *Islands*. Slides from *Sunbelt XXIV, Portorož, Slovenia, 12.-16. May 2004*, [PDF](#)